

• **аудиторный сканинг и коммуникация**

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TRACT
Experimental preferred data-to-display mappings by asking experiment participants directly and then examined the biophysical scaling functions relating perceived data values to underlying acoustic parameters. Presently, we are testing and validating the scaled responses in practical data interpretation tasks. The resulting scaling functions, in concert with the experimental paradigm developed here, should spark further research in this area and have implications to design of future sonification.

tags:

biophysical scaling, auditory display, sonification, data-display mappings

ROBUSTNESS

Investigations focus on data sonification, or the representation of scientific data with sound [1]. In particular, this work begins to determine the best way to vary auditory display dimensions (i.e., sound parameters such as frequency or volume) to communicate a data set in a manner for interpretation and analysis. Little research has been done in this area, except that to map data to sound, despite the finding [2] that this mapping procedure is not necessarily preferred or intuitive. An effective and practical approach to sonification can only result from the determination of listener preferences and performance. The most rigorous method for this is experimentation and validation of listener schemes through representative listening tasks.

ORIENT QUESTIONS FOR PRACTICAL AUDITORY DISPLAYS

When to create auditory displays with widespread utility, these basic questions must be answered. First, we need to know auditory display dimension best represent a given data dimension. Is it best to use frequency, tempo, or some other auditory parameter to represent the data dimension of, say, velocity? Second, what is the direction or "polarity" of the said data-to-display mapping? If frequency is used to represent velocity, one might wonder that increasing frequency of response represents increasing velocity. However, when representing the dimension of size, increasing frequency might best map decreasing size, since high-frequency sounds tend to come from small objects. And third, once we establish a link and polarity, what is the scaled factor for that data and display pair? That is, exactly how much change in frequency we use to represent a given change in velocity?

Only three are major open questions, but these three are primary and critical, and as yet have not been systematically studied. We begin by answering these questions, and then we begin to validate the resulting mapping solutions in a sensitive practical listening task.

WORKS WORK

ping Chaves

One of the sonification projects to date have systematically addressed the three questions we raise. Most systems rely on linear, logarithmic, and scaling functions determined either by system constraints (e.g., only frequency may be varied) or by decisions made by the system programmer (e.g., increasing frequency is always mapped to increasing data values); namely, the resulting solutions may not match listeners' preferences or expectations. This may lead to errors or other impacts by users of the system [3]. Further, most sonifications have not taken into account the actual type of data being used or the specific listening experience of the listener.

for **A. Kramer, 1996**

A combination of factors ("Crystal Factory") Walker and Kramer [5] showed that the specific choice of both mapping polarity can affect reaction time and accuracy in monitoring tasks. Three different visual displays agreed about what it is to be the "best" mappings, however the data showed that such "intuitive" design decisions may not result in the best performance.

as a test session to sensory perception estimates, such as a response to stimulation (pressure, temperature) and time of onset of research in the work of S. S. Stevens and others [14] in determining the psychophysical scaling functions for acoustic parameters and subjective perceptions of a variable. For example, if the physical amplitude is doubled, is the resulting change in the perceived loudness?

We adopt the psychophysical scaling paradigm known as magnitude estimation [5] to examine how changes in the real-world attributes (e.g., frequency) affect the relative estimates of the data that the sound is supposed to represent. As compensation is applied to the frequency of the sound, then what change in compensation will the listener report when intensity is doubled? Is it the same as the change that occurs for pitch when frequency is doubled? Is the same for they would report for pressure or velocity or the value of the dollar when the frequency is doubled? The question thus asks to whether a certain value (the dimension) of the sound is supposed to represent, and if so, how.

EXPERIMENT 1: MAPPING PREFERENCES

Address the question of which display dimension best represents a given data dimension, we sought a straightforward task that would be very easy to apply by designers of new auditory displays. We simply presented pairs of sounds that did not only along a single auditory dimension at a time, and asked listeners to indicate which sound best represented a value data dimension.

Stimuli and Procedure
Stimuli are in form of a 17-in. Macintosh computer monitor in a sound-attenuated room, listening to sounds via Sony MDR-1 headphones, and responded using the mouse.

Stimuli were synthesized at 96 kb, 44.1 kHz using Cosmo. They were composed of a one-beat long pure sine wave followed by a half-beat of silence. Three elements were layered to create a composite signal. The signals were mixed with all sine combinations of the auditory dimensions of frequency (500, 1000, and 2000 Hz) and tempo (60, and 90 beats per minute or bpm, at 60 bpm, one beat lasts one second). The amplitude envelope of the tones included a second linear ramp onset and offset. We normalized the stimuli for loudness, starting with relative amplitude values from headphones common [2] then making minor adjustments based on listening.

1.1 Cues

Choose four data dimensions that were both widely known and commonly used in a variety of scientific fields: pressure, pressure, velocity, and time. For each dimension, matching cue questions were created to cover each end of the dimension. An example pair of cues would be: "Which sound best represents something with a hotter temperature?" and "Which sound best represents something with a colder temperature?"

1.2 Structure and Task

Experiment inoperability the experiments were written in HTML and Javascript, and run with Netscape 4.0. On each a cue question was centered near the top of the screen, with two 3-inch square buttons just below, separated by two or horizontally. While the cursor was located over square A, sound A would play. While the cursor was over square B, B would play. On a given trial, the two sounds would differ only along only one of the dimensions (e.g., frequency); participants would listen to each of the sounds, then simply click on the square whose sound they felt best matched the question. During the half-hour session, all sounds differing only in frequency (nine pairs) and all sounds differing only in volume (nine pairs), were combined with all eight sound cues, for 144 total trials presented in random order.

1.3 Stimuli

On five undergraduate psychology students (2 male, 3 female) participated for partial course credit. For each cue (data and sound display) dimension pair, a signal preference score was determined for each subject. If for 90% the higher-frequency sounds of a pair were always judged better for representing hot, and the lower-frequency B was always judged better for representing cold, then the individual preference score would be 18. If on the other hand, the higher frequency always "matched" cold, and the lower frequency always "matched" hot, then there would be a 0 preference. In with the opposite polarity (i.e., a score of -18). Scores in between -18 and 18 would indicate a bias toward or weaker preference. Average preference scores across subjects provided a measure of how effective a mapping and in what polarity it was preferred. Figure 1 shows the individual preference scores for each data and display means for the 11 subjects.

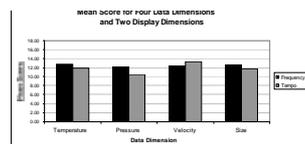


Figure 1. Mean performance scores from Experiment 1, across subjects. Black bars represent sounds differing only in frequency; gray bars represent sounds differing only in tempo. None of the differences reached statistical significance.

results of Experiment 1

performance scores in this experiment were meant to indicate which display dimensions are preferred for representing the dimensions. However, it seems that most subjects just discovered a mapping priority and applied it consistently across all dimensions. In debriefing the listeners, many reported simply trying to be consistent and "get a perfect score." This simple paradigm does not seem to be as effective as we had hoped in measuring preferences. For example, choosing a sound map to decreasing size for at least some listeners (which would make the mean preference score lower, or even lower) it was clear that we required a more sophisticated, and perhaps less transparent, experimental procedure.

EXPERIMENT 2: SCALING THE DIMENSIONS

In order to discover mapping priority preferences, we also need a way to determine what the scaling function is over the physical sound dimension and the data dimension they are meant to represent. We turned to the psychophysical method of magnitude estimation (M) to assess directly both the primary and scaling function biases. We hoped that negative bias on this well-established paradigm would be less transparent than Experiment 1, so it would be less likely listeners would respond in a particular pattern throughout the study (i.e., attempting to attain some "perfect" scores).

setup

(repeat and listen) in the same subject pool, 112 different listeners participated. Two sets of sound stimuli were created as in Experiment 1, one consisted of 10 stimuli that were all at a frequency of 1000 Hz, but varied along the tempo dimension (45, 60, 105, 150, 225, 320, 500, 800, and 1000 bpm). The second set of 10 stimuli were all at the same tempo (60 bpm), but varied along the frequency dimension (100, 200, 300, 400, 500, 1000, 1400, 1800, 2400, and 3200 Hz).

A participant completed two blocks of trials, separated by a brief rest. In one block they heard only the sounds from the set 1, and in the other block they heard only the sounds from set 2. Block order was counterbalanced across subjects.

Instructions and trial

participants read instructions like the following:

You will hear a series of sounds, one at a time in random order. Your task is to indicate what pressure they represent, by assigning numbers to them. For the first stimulus, assign it any number of your choosing that represents a pressure. Then, for each of the remaining stimuli, indicate its pressure, relative to the first sound. For example, if the second sound represents a pressure that is 10 times the first pressure, assign it a number that is 10 times the number you assigned to the first sound. If the second sound represents a pressure that is one-fifth that of the first sound, assign it a number that is one-fifth the first number, and so on. You may use any range of numbers, decimals, or fractions that seem appropriate, as long as they are greater than zero.

in. **Listeners simply rated** in their responses and **clicked a "next" button** to proceed to the next trial.

block of 20 trials, each vowel was randomly presented twice, with the constraint that the highest or lowest frequency or no sound and no air flow, and subjects only responded to one data dimension per block. Following a brief rest, the stimulus introduced the second block with new instructions that indicated a different data dimension (e.g., air) but was otherwise identical. Thus, for example, a particular participant might first listen to all the stimuli that differed in frequency and judgments about temperature, and then in the second block listen to all the stimuli that differed only in tempo and judgments about the size that the sounds would represent.

2b.

collected Data

each subject, we kept the responses from each block (i.e., each data/dimply dimension pair) separate. We observed that in a block most of the listeners responded with a particular response polarity, and across the random order of trials, read a set of responses that either increased or decreased monotonically with the stimulus dimension. When plotted on log axes, the typical results fell along a straight line. This is entirely in accordance with the findings generally reported in psychophysical judgments (4), with the important difference that in our experiment the listeners were making conceptual

manipulated each participant's data as follows. First we calculated the geometric mean of the two responses to each stimulus set of the geometric mean is plotted in 4b). We then log-transformed the responses and the stimulus values (e.g., the number), and calculated the Pearson correlation coefficient between the stimulus values and the geometric mean of the responses. A large absolute value of the correlation coefficient meant that the participant had responded in a consistent and only linear fashion. We decided to remove the data of those few whose correlation coefficients did not meet some level of statistical significance (i.e., for 10 data points and $p < 0.05$, $r > 0.44$).

e listeners obtained highly significant, but negative correlation coefficients for some blocks. Positive correlations indicated that the listeners had learned to increase data values to increasing display values (i.e., increasing temperature and thus increasing frequency). Negative correlations, on the other hand, indicated that increasing data values were not increasing display values (e.g., increasing time was represented by decreasing frequency). Some listeners obtained (a) significant positive correlation in one block, and obtained a highly significant negative correlation in their other (b) in defining some subjects, it was clear that the data was unimportant. For example, one reported "I cannot discuss to me in the first part [of the experiment] better things were faster [in tempo], but in the second part bigger things make deeper or deeper [in tempo]". In others, then, that this paradigm provided a better way to investigate emerging polarities. In of our data, we considered the actual number of participants using a positive versus a negative polarity for a given data-dimension pair as a good and simple indicator of the "prevalence" or general preference of a mapping direction.

2c. Stimulus Variables

Identical to the magnitude estimation data, we recorded age, sex, handedness, and number of years of musical training for participants. We calculated correlation coefficients between these four variables and the slopes for each listener. None of the demographic correlations reached statistical significance for this group of listeners.

3. Linear Scaling: Aggregate Slopes

most measures of interest was the actual scaling of the data dimensions. For this we sorted the total data set by display means (frequency or tempo), data dimension (temperature, pressure, velocity, and size), and mapping polarity (positive or negative correlations). For each subset of data, the geometric mean of all responses was calculated for each stimulus (across trials). These ratios of pressure, velocity, etc., were plotted against the actual values of the physical parameter that was to be displayed (in log-log space) (see Figure 1 for an example). These plots were all very linear, with high R^2 values. Slopes of such log-log plots, as indicated by the elements of the data in the previous dimension, provide the hypothetical scaling function between the data and display dimensions. For example, if the slope of the temperature-velocity plot is 0.5, then a ten-fold increase in frequency represents only a two-fold increase in temperature. If the slope is 0.4, then a ten-fold increase in frequency would represent an eight-fold decrease in temperature.

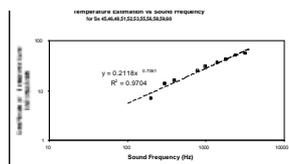


Figure 2. Geometric mean temperature extensions made for various of frequencies in Experiment 2. The line through the data is a power fit; the slope is represented by the exponent of x in the equation; in this case, 0.79 (s.d. = 0.02). If the frequency is increased by a factor of 10, the perceived temperature will only increase by a factor of 1.1.

Table 1. Summary of slopes of graphs of data-display pairs. Slopes represent the psychophysical scaling functions between the data and display dimensions. Positive slopes (bold face) indicate that increasing data values map to increasing display values. Negative slopes indicate increasing data values map to decreasing display values. Slopes in bold indicate the most popular polarity. The number of subjects contributing to each slope is indicated in parentheses.

| Display Dimension: Frequency | | | | Display Dimension: Temp. | | | |
|------------------------------|------|--------------|------|--------------------------|------|--------------|------|
| Data Dimension | N | Slope (s) | S.D. | Data Dimension | N | Slope (s) | S.D. |
| Temperature | (13) | 0.19 | 0.11 | Temperature | (17) | -0.23 | 0.10 |
| | (2) | -0.09 | 0.02 | | (6) | -0.23 | 0.02 |
| Pressure | (8) | 0.78 | 0.25 | Pressure | (10) | 0.68 | 0.04 |
| | (4) | -0.49 | 0.40 | | (5) | -0.52 | 0.08 |
| Velocity | (14) | 1.06 | 0.33 | Velocity | (11) | 1.04 | 0.04 |
| | (2) | -0.17 | 0.07 | | none | | |
| Size | (7) | 0.90 | 0.25 | Size | none | | |
| | (12) | -0.76 | 0.16 | | (10) | -0.94 | 0.07 |

Results of Experiment 2

I summarize the data-display pairs and the obtained slopes, plus the numbers of listeners whose data contributed to slope. The fact that these slopes are different for each of the data dimensions, and that they are different from 1.0, is an early important and interesting result. Thus a really does matter how the participant expects to interpret the stimuli, and manifests a systematic mapping to dimensional user preferences. It also provides the transfer function to be used to set changes in a data dimension to g , pressure or velocity into the appropriate changes in the display dimension (e.g., or frequency). This is the key to effective data representation. These scaling functions provide the first experimentally derived, valid justification mappings.

In the results of Experiment 2, we now have the beginnings of a set of transfer functions to provide the basis for an interactive tool. Data can be translated into the appropriate visual dimension for optimal comprehension. Of course, these findings are for a relatively small sample of listeners from a homogeneous cultural group. Clearly, the question, results will be replicated with new listeners with widely different musical and cultural experience.

one means more one means an exposure or exposure, a source, even some previous values or previous (e.g., increasing source strength to increasing temperature), there are clearly others that need be determined experimentally (i.e., using one to decreasing tempo). And of course, the actual slopes of the lines cannot be guessed.

Other interesting questions are raised by these findings. It remains to be seen how learners would respond if they were asked to use a certain category for a mapping, but otherwise free to respond. Also, we could ask whether participants displayed as distinguishable if they were asked to match the priority they used when responding to the task. Another area awaiting investigation is that of the range of stimuli used, as well as the choice of media, or starting response, and the dimensionality of the stimuli. A starting value (i.e., the linear one) shows any stimuli advantage on the visual. However, a very narrow if the linear is "readable" with comparisons in different ranges. That is, if the stimuli maintain "readable daily temperatures" and ask the participants to call the first round "50", a different reading one might arise compared to "temperatures in a nuclear reactor" starting at "3000".

If, many other display dimensions are yet to be tested, as well as an unlimited number of data dimensions. We are going to work in this area.

EXPERIMENT 3: VALIDATION TASK

Intentionally defined mappings and scaling functions are necessarily better than simply using "what sounds good" in a visualization. However, the utility of the scaling functions will need to be experimentally validated within a practical A visualization that takes advantage of the preferred mappings and scaling functions should result in better performance a visualization that does not.

Notes

Undergraduate participants are performing data analysis and interpretation tasks with weather data. This domain allows visualization measurement ("What temperature is it?"), wind analysis ("Is the wind speed increasing?"), and interpretation (display data dimensions ("What is the wind chill factor?"). Accuracy and task completion speed can also be measured in real time. The use of weather data provides a common task that is of interest to all learners. It also requires little to no training of subjects - virtually everyone is familiar enough with rain, wind and heat. In addition, the data dimensions used in mapping (temperature, pressure, velocity, etc.) use the same dimension commonly used in other sciences. This choice of data again help to make the results easily transferable to different scientific domains. This work is currently underway.

product that performance on all tasks will be faster and more accurate when participants use the optimal mapping and appropriate scaling functions. This will validate the experimental determination of visualization schemes.

GENERAL DISCUSSION

In the determination of optimal mappings and scaling functions, design of data visualizations need no longer rely on the time and educated guesses of visual designers. More importantly, the development of a paradigm for quantitatively rating the countless possible mappings between data and display dimensions advances the scientific foundation of the of auditory displays.

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